D 41452

Time : Three Hours

(Pages : 2)

Name

Reg. No.

FIRST SEMESTER M.Sc. DEGREE EXAMINATION, JANUARY 2008

Computer Science

CS 102—ADVANCED DATA STRUCTURE

(2005 admissions)

Part A

Maximum : 80 Marks

Answer any five questions. Each question carries equal marks.

- 1. (a) What are various stack operations ? Explain.
 - (b) Explain the applications of stack for conversion of infix to **postfix**.
- 2. (a) Prove the inequality that bracket the height of a binary tree with n vertices

 $[\log 2 n] < h < n-1.$

(b) Define spanning tree. Give an example.

3. Explain the following :

plain the following .	
(i) Reference counts.	(jj) Adjacency lists.

(iii) Heap property. (iv) Deque.

- 4. (a) Distinguish between complete and full binary tree.
 - (b) Explain about application of graphs.
- 5. (a) Can an undirected graph G has n verticles and e edges and is represented as adjacency matrix. What is the time required to determine the total number of edge in G.
 - (b) Write a note on application of graph.
- 6. (a) Explain min-max heaps.
 - (b) Explain pairing heaps and skew heaps.
- $_{7}$ (a) What are the minimum and maximum numbers of elements in a heap of height h ?
 - (b) Prove that the maximum number of nodes of a binary tree of depth k is 2k-1.

(5 x 8 = **40** marks)

Part B

Answer any **four** questions. Each question carries equal marks.

- 1. (a) Write a function to insert and delete elements in a stack.
 - (b) Compare stack and queue.
- 2. (a) Explain how the linked list is implemented using array.
 (b) Prove that the height of a heap with n nodes is equal to [log₂n].
- 3 (a) Explain what is meant by a hashing function.
 - (b) Describe in details one hash method with a suitable method. **Turn over**

- 4. (a) What are B-trees. Give 4 properties of B-Trees.
 - (b) Explain the rotation used for balancing a binary tree search tree (use eith RED-BLACK tree).
- 5. (a) Show how to merge two skew heaps with one top-down pass and reduce the merge cost to 0(1) amortized time.
 - (b) Write the deletion procedure for red-black trees
- $^{\rm 6.}$ (a) Prove that the algorithm for deletion in AA-trees is correct.
 - (b) Design a recursive linear-time algorithm that tests whether a binary tree satisfies the search tree order property at every node.

 $(4 \times 10 = 40 \text{ marks})$

5)

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