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# SECOND SEMESTER M.Sc. DEGREE EXAMINATION, JUNE 2014 

(CUCSS)
Computer Science
CSC 2E 08—NUMERICAL AND STATISTICAL METHODS
Time : Three HoursMaximum : 36 Weightage
I. Answer all questions :
1 Classify errors.2 What are iterative methods? Give two examples.
3 Define Root of an equation.
4 What is a Pivot element ?
5 Define Interpolation. Mention any two methods.
6 What is a differential equation?
7 Define Integration.
8 Define Conditional probability.
9 State Baye's theorem.
10 How do you detect unboundedness in Simplex method?
11 How do you detect optimality for a minimization problem?
12 What is an artificial variable?
(12 $\times 1=12$ weightage)
II. Answer any six questions :
13 Distinguish between Direct and Iterative methods.
14 Define Linear and Non-linear equations.
15 Distinguish between Interpolation and Extrapolation.
16 Define Finite and Divided differences.
17 Derive the formula for Heunn's polygon method of differential equation.
18 The probability of $n$ independent events are $P_{1}, \mathbf{P}_{2}, \ldots, P$.. Find the probability of atleast oneof the event happening.

19 A random varaible $x$ has a probability function $f(x)=k x^{2}$ for $\mathrm{O}<x<3$

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=0 \quad \text { otherwise. Find } k
$$

20 Find the feasible solution using two-phase method to solve Max. $Z=5 x+3 y$ such that $2 \mathrm{x}+\mathrm{y}<1, x+4 \mathrm{y}>6$ and $\mathrm{x}, \mathrm{y}>0$.

21 Obtain the initial basic feasible solution with North-West corner method for the data given below :

|  |  |  | in |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | A | B | C | Supply |
|  | 1 | 2 | 7 | 4 | 5 |
| Source | 2 | 3 | 3 | 1 | 8 |
|  | 3 | 5 | 4 | 7 | 7 |
|  | 4 | 1 | 6 | 2 | 14 |
| Demand |  | 7 | 9 | 18 | 34 |

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\left(6 \times 2=12 \text { weig }_{\perp}\right.
$$

III. Answer any three questions :

22 Derive Newton. Raphson's formula.
23 Explain linear interpolation.
24 Derive Gauss-Seidel formula.
25 Derive Runge-Kutta IVth order method formula.
26 (a) Three factories $\mathrm{F}_{1}, \mathrm{~F}_{2}, \mathrm{~F}_{3}$ produce 1000,4000 and 5000 parts of which 20,40 and 50 are defective. All the parts are put in one stock pile. One is selected at random and found to be' defective. What is the probability that it is from $\mathrm{F}_{1}$ ?
(b) It has been claimed that in $20 \%$ of solar heat installations, thte utility bill will be reduced by atleast $1 / 3$ rd. Find the probability that the bill is reduced by $1 / 3 \mathrm{rd}$ in :
(i) 40 out of 100 installations.
(ii) Atleast 40 out of 100 installations.

27 Using the below profit matrix, determine optimal job assignment and the profit of the assignment :

|  |  | Job |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Mechanic | A | 1 | 2 | 3 | 4 | 5 |  |
|  | B | 10 | 3 | 3 | 2 | 8 |  |
|  | C | 9 |  | 8 | 2 | 7 |  |
|  | D | 3 | 5 | - | 2 | 4 |  |
|  | E | 9 | 10 | 9 | 6 | 10 |  |

